

# Re: factoring using geomerty?

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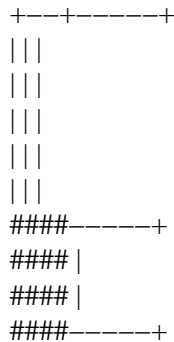
Date: 29 Sep 2003 12:24:57 +0100

"sqrt(i)" <com.com@com> writes:

> would you care to elaborate just a little on the link between the difference  
> of squares and its relation to geometry?

Bob can undoubtedly answer for himself, but this example may be useful.

Draw two squares, one of side x and another with side y. Assume  $x > y$  and that the smaller square shares two edges and one corner with the larger. Something like this:



which is a 4x4 square (so  $y = 4$ ) inside a 10x10 square (and  $x=10$ ).

I've drawn in two other lines. The difference between the two squares is the unshaded area. The two portions abutting the smaller square are clearly rectangles with sides  $y$  and  $(x-y)$ . The remaining unshading area is clearly a square with sides  $(x-y)$ . Now take one of the rectangles and place it alongside the square opposite the other rectangle. You get a long thin rectangle. One side is clearly still just  $(x-y)$ . The other side is  $(x + y)$  in length. The area of this new rectangle is thus  $(x-y)*(x+y)$  but, by construction, the area is the same as the difference in area of the two squares. Conclude that  $x^2 - y^2 = (x-y)*(x+y)$ .

The diagram after rearrangement looks something like this:

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Paul

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The opinions expressed in this message  
are my own personal views and do not  
reflect the official views of Microsoft  
Corporation. Paul Leyland, pleyland@

| Hanging on in quiet desperation is  
| the English way.  
| The time is gone, the song is over.  
| Thought I'd something more to say.